Open Banking: Lending Market Competition and Resource Allocation Efficiency by Goldstein, Huang, and Yang

Discussion by Cecilia Parlatore

NYU Stern, NBER and CEPR

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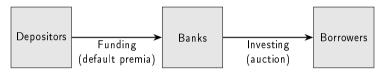
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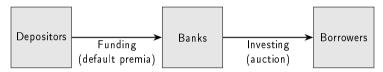
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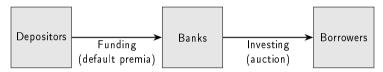


Banking systems:

- 1. Closed banking: one informed bank, one uninformed bank
- 2. Open banking: two ex-ante symmetric banks (same information structure)

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Banking systems:

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Funding costs from rollover decisions:

- 1. Incorporate default premia: Respond to portfolio choices and competition creditor's beliefs adjust!
- 2. Guaranteed return: Fixed

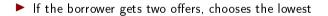
Model

Borrower needs one unit of funds to invest in a risky projects with payoff

$$P = \begin{cases} R & \theta = 1 \\ 0 & \theta = 0 \end{cases} \quad \text{where} \quad q = \Pr\left(\theta = 1\right)$$

Two banks compete for the borrower by simultaneously making a TIOLI offer based on their information

$$b^{j} \in [\underbrace{[0,R]}_{\mathsf{offer}} \cup \underbrace{\infty}_{\mathsf{no offer}} \quad j = 1,2$$



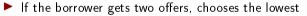
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- Bank can also invest in a risk-free asset with return R_a
- Short-term creditor supply funds to the banks, who can default
 - \blacktriangleright rollover after observing the bank's portfolios: require r_a if risk-free and r_b if risky
 - cost of loan is $\mathbb{E}(\theta|\text{information}) \times r_b$

Funding costs

- Required return for risk-free portfolio is fixed at r_a
- Return required to rollover debt when portfolio is risky:
 - With default premium: $r_b = \frac{r_a}{\xi(b)}$ where $\xi(b)$ is the expected success probability if the winning bid is b
 - Without default premium (guarantees for creditors): $r_b = r_a$.

Information Structure: Closed vs. Open Banking

Closed banking:

- Bank 1 has a signal s¹ = {L, H} about θ with Pr(s¹ = H|θ = 1)=Pr (s¹ = L|θ = 0) = π > 0.5
 Bank 2 is uninformed, i.e., s² = {L, H} with
 - Pr($s^2 = H|\theta = 1$)=Pr($s^2 = L|\theta = 0$)=0.5

Open banking

► Both banks are symmetrically informed, i.e. $\Pr(s^2 = H|\theta = 1) = \Pr(s^2 = L|\theta = 0) = \pi > 0.5$

Assumptions:

- No offer if $s^i = L$
- No offer if bank is uninformed and cannot transfer risk to creditors

	Closed Banking	Open Banking
Default Premia	- Bank 1 is a monopolist if H - Bank 2 never participates - Funding costs $r_b = \frac{r_a}{\pi}$ - Good loans: π - Bad loans: $1 - \pi$ - Expected NPV $W^c > W^o$ - $b = R \rightarrow$ borrower welfare= 0	
Guaranteed Returns	1	

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- Would like to understand the role of the assumptions better!
 2.1 Funding costs and lending costs

• Expected profits when offering b for bank i

 $\left[\Pr\left(\mathsf{comp}\right)\Pr\left(\mathsf{W}\right)\mathbb{E}\left[\theta|\mathsf{comp}\right]+\Pr\left(\mathsf{no\ comp}\right)\mathbb{E}\left[\theta|\mathsf{no\ comp}\right]\right]b^{i}+\Pr\left(\mathsf{comp}\right)\Pr\left(\mathsf{L}\right)R_{a}$

 $-\left[\Pr\left(\mathsf{comp}\right)\Pr\left(\mathsf{W}\right)\mathbb{E}\left[\theta|\mathsf{comp}\right]+\Pr\left(\mathsf{no}\;\mathsf{comp}\right)\mathbb{E}\left[\theta|\mathsf{no}\;\mathsf{comp}\right]\right]\mathbf{r}_{b}-\Pr\left(\mathsf{comp}\right)\Pr\left(\mathsf{L}\right)\mathbf{r}_{a}$

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► Average lending cost $\lambda = \frac{[\Pr(\text{comp}) \Pr(W) \mathbb{E}[\theta|\text{comp}] + \Pr(\text{no comp}) \mathbb{E}[\theta|\text{no comp}]] r_b}{\Pr(\text{comp}) \Pr(W) + \Pr(\text{no comp})}$

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• With guaranteed return: lower cost of lending \Rightarrow transfer risk to creditors

With default premium: cannot transfer risk, back to fixed average lending cost

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b) Portfolio choice and Participation

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- ▶ In the literature, outside option in normalized to zero, i.e., $R_a = r_a = 0$.
- ► Paper focuses on $R \in \left(\frac{R_a}{\pi}, 2R_a\right) \Rightarrow$ inefficiency of uninformed lending and no participation under CB
- Ignoring outside options can have important implications for results on competition if R_a is large relative to R!

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